## EE 633 Quiz -II

## **Maximum Marks 10**

**1.** Consider a FCFS  $M^{[X]}/G/1$  queue where the arrivals come in batches of one, two or three jobs. The generating function of the batch sizes is given to be  $0.25z+0.25z^2+0.5z^3$ . The batch arrival rate is  $\lambda$  from a Poisson process.

The first job of the batch has a random service time with its n<sup>th</sup> moment given as  $\alpha(n)$  and the L.T. of it pdf given as  $L_{\alpha}(s)$ . The second job of the batch has a random service time with its n<sup>th</sup> moment given as  $\beta(n)$  and the L.T. of its pdf given as  $L_{\beta}(s)$ . The third job of the batch has a random service time with its n<sup>th</sup> moment given as  $\gamma(n)$  and the L.T. of its pdf given as  $L_{\gamma}(s)$ . The service times of the first, second and third jobs are independent of each other.

What will be the mean queueing delay  $W_q$  for an arbitrary job (first, second or third in a batch) and the L.T.  $L_{Wq}(s)$  of its pdf? [5]

**2.** Consider the open network of M/M/1 queues as shown where each queue has service rate  $\mu$ . For notational convenience, use  $\rho = \lambda/\mu$ 

(a) What is the condition for this queueing network to be stable? [1]

(b) For  $\lambda$ =0.2 and  $\mu$ =1, find the transit delay through the network for each of the following –



